

1. Write a system and solve:

A florist is making 5 identical bridesmaid bouquets for a wedding. She has \$610 to spend (including tax) and wants 24 flowers for each bouquet. Roses cost \$6 each, tulips cost \$4 each, and lilies cost \$3 each. She wants to have twice as many roses as the other 2 flowers combined in each bouquet. How many roses, tulips, and lilies are in each bouquet?

$$6r + 4t + 3L = 610$$

$$r = 2(t + L)$$

$$r + t + L = 5(24)$$

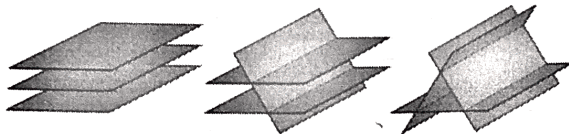
$$t = 10 \quad l = 30 \quad r = 80$$

total amount

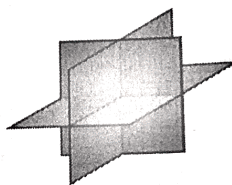
In each bouquet:
16 roses
2 tulips
6 lilies

2. Study:

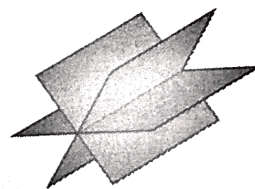
No Solutions
Inconsistent Systems



One Solution
Independent Systems



Infinitely Many Solutions
Dependent Systems



3. Solve the Linear-Quadratic System by Graphing and by Substitution.

$$\begin{cases} y = x^2 - 2x + 2 \\ y = 2x - 2 \end{cases}$$

$$\frac{-(-2)}{2(1)} = \frac{2}{2} = 1$$

$(1, 1) = \text{vertex}$

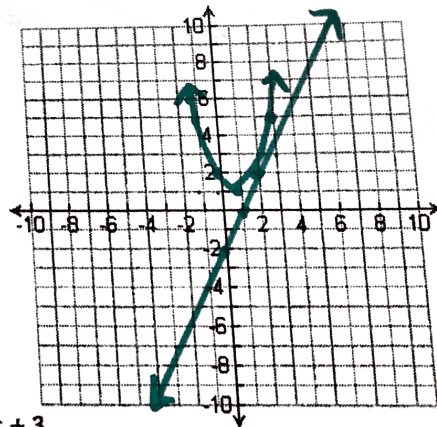
$$x^2 - 2x + 2 = 2x - 2$$

$$x^2 - 4x + 4 = 0$$

$$(x - 2)^2 = 0$$

$$x = 2$$

$(2, 2)$



4. Graph and shade the solutions:

$$y > x^2 - 2x - 3$$

$$y \leq x(x - 2)$$

vertex: $(1, -4)$

x-int: $(0, 0), (2, 0)$

y-intercept: $(0, -3)$

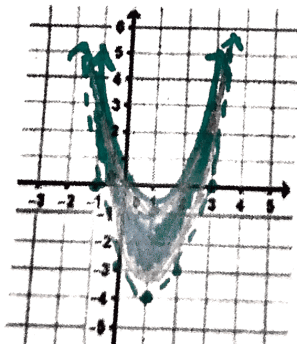
vertex: $(1, -1)$

2 other points:

2 other points:

$(-2, 5), (4, 5)$

$(3, 3), (-1, 3)$



$$y \leq (x + 2)^2$$

$$y > \frac{1}{2}x + 3$$

vertex: $(-2, 0)$

slope: $\frac{1}{2}$

y-intercept: $(0, 4)$

y-intercept: $(0, 3)$

2 other points:

$(-5, 9), (1, 9)$

